



RESEARCH MEMORANDUM

for the

U. S. Air Force

WIND-TUNNEL INVESTIGATION OF A MODIFIED 1/20-SCALE MODEL

OF THE CONVAIR MX-1554 AIRPLANE AT MACH NUMBERS

OF 1.41 AND 2.01

By John H. Hilton, Jr., and Edward B. Palazzo

Langley Aeronautical Laboratory Langley Field, Va.

LINCLASSIFIED

To.		Page 1 To the tree and the same and and area and the same	
Ву	authority of	TPA # 6.3 Date 12/3/6/	1

This material contains information affecting the Hational Defense of the United States within the meaning of the espionage laws, Title 18, U.S.C., Secs. 793 and 794, the transmission or revelation of which in any manner to an unauthorized person is prohibited by law.

NATIONAL ADVISORY COMMITTEE FOR AERONAUTICS

WASHINGTON

AUG 24 1959 CLASSIFIED

NACA RM SL53G30

ではないのは、これには、これでは、これできることできないとのできるというできないというできないというできないというできないというできないというできないというできないというできないというできないという



NATIONAL ADVISORY COMMITTEE FOR AERONAUTICS

RESEARCH MEMORANDUM

for the

U. S. Air Force

WIND-TUNNEL INVESTIGATION OF A MODIFIED 1/20-SCALE MODEL

OF THE CONVAIR MX-1554 AIRPLANE AT MACH NUMBERS

OF 1.41 AND 2.01

By John H. Hilton, Jr., and Edward B. Palazzo

SUMMARY

An investigation of a 1/20-scale model of the Convair MX-1554 airplane has been conducted in the Langley 4- by 4-foot supersonic pressure tunnel to evaluate the effects of extending the length of the fuselage afterbody (in accordance with area-rule considerations) and to provide longitudinal and lateral stability and control data. The tests were made at Mach numbers of 1.41 and 2.01 over a Reynolds number range of 1.13×10^6 to 8.83×10^6 .

The results of the tests indicate that extension of the fuselage afterbody length caused little change in the minimum longitudinal force coefficient and in the drag due to lift. Elongating the afterbody resulted in slight increases in the static longitudinal stability, static directional stability, and side force and had negligible effect on the other parameters.

The variation of trim lift coefficient with elevon deflection for the basic configuration decreased from -0.011 at M=1.41 to -0.007 at M=2.01.

The data indicated a value of -0.3 for $\binom{\beta_{\delta_R}}{C_n=0}$ at M = 1.41,

 $\alpha=4^{\circ}$. The directional stability of the basic configuration decreases with increasing Mach number and is approaching zero near M=2.0, $\alpha=4^{\circ}$.

Reynolds number effects were small; however, some increase in $\Delta C_D / C_L^{\ 2}$ was indicated at low Reynolds numbers for both test Mach numbers.



INTRODUCTION

An investigation has been conducted in the Langley 4- by 4-foot supersonic pressure tunnel to determine the aerodynamic characteristics of the Convair MX-1554 aircraft configuration. The present tests of the MX-1554 constitute the second phase of a specific research project conducted at the request of the United States Air Force. The results of the first phase of this research project (presented in ref. 1) were concerned with the aerodynamic characteristics of the configuration at Mach numbers of 1.61 and 2.01. The present tests were conducted at M = 1.41 and M = 2.01 to provide additional data for the MX-1554 design and to determine the effects of extending the length of the fuselage afterbody. The changes in the afterbody shape were proposed (on the basis of Langley 8-foot transonic tunnel tests) as a means of reducing the transonic minimum drag rise and were dictated by the area-rule concept. The basic model (short afterbody) of the present tests had a different nose and a different canopy compared to the Phase I configuration (ref. 1).

COEFFICIENTS AND SYMBOLS

The data are referred to the stability-axes system (fig. 1) with the reference center of gravity at 27.5 percent of the wing mean aerodynamic chord.

The coefficients and symbols are defined as follows:

 $^{
m C_L}$ lift coefficient, -Z/qS

 C_X longitudinal-force coefficient, X/qS

C_D drag coefficient, <u>Drag</u> qS

 ${\tt C_{{\tt D_{min}}}} \qquad \qquad {\tt minimum \ drag \ coefficient}$

 $\Delta C_D = C_D - C_{D_{min}}$

C_m pitching-moment coefficient, M'/qSc

 $C_{
m Y}$ lateral-force coefficient, Y/qS

 C_n yawing-moment coefficient, N/qSb

Cl	rolling-moment coefficient, L/qSb
x	force along X-axis, 1b
Y	force along Y-axis, lb
Z	force along Z-axis, 1b
L	moment about X-axis, lb-ft
M '	moment about Y-axis, lb-ft
N	moment about Z-axis, lb-ft
đ	free-stream dynamic pressure, lb/sq ft
R	Reynolds number
S	total wing area, sq ft
Ъ	wing span, ft
č	wing mean aerodynamic chord, ft
С	local wing chord, ft
М	Mach number
P_{O}	tunnel stagnation pressure, lb/sq in
a	angle of attack of fuselage center line, deg
β	angle of sideslip, deg
δ_{e}	elevon deflection angle, deg
$\delta_{ m R}$	rudder deflection angle, deg
$^{\mathrm{C}_{\mathrm{m}_{\mathrm{C_L}}}}$	lift-curve slope
$\mathrm{c_{^mC_L}}$	longitudinal-stability parameter, rate of change of pitching-moment coefficient with lift coefficient, $\partial c_m/\partial c_L$

Carre Halling way and all the way we

 $\mathtt{C}_{\mathtt{n}_{\beta}}$

directional-stability parameter, rate of change of yawing-moment coefficient with angle of sideslip, $\partial C^{n}/\partial B$

 \mathtt{c}_{ι_β}

effective-dihedral parameter, rate of change of rolling-moment coefficient with angle of sideslip, 3C₁/3β

 $\mathtt{C}_{Y_{\beta}}$

lateral-force parameter, rate of change of lateralforce coefficient with angle of sideslip,

rate of change of lift coefficient with elevon deflection at $C_m = 0$, $\partial C_L / \partial \delta_e$

rate of change of angle of attack with elevon deflection at $C_{\rm m} = 0$, $\partial \alpha / \partial \delta_{\rm e}$

rate of change of angle of sideslip with rudder deflection at $C_n = 0$, $\partial \beta / \partial \delta_R$

Configuration symbols:

W

wing

В

body

 c_1

blunt-canopy, inclined 30°

 C_7

vee-canopy

P

nose probe

Nz

blunt, interim nose shape

 N_{\downarrow}

pointed, final nose shape

VT60

vertical tail, 60° sweptback leading edge, 5° sweptforward trailing edge

VT60-1

vertical tail, 60° sweptback leading edge, 0° sweptforward trailing edge

The second of th

 D_{o}

inlets open



 $\mathrm{D}_{\mathbf{F}}$ inlets closed with faired plugs

 $\mathrm{D_{F}}^{\mathrm{O}}$ inlets open and closed

F chordwise wing fences on

 F_{w}^{O} chordwise wing fences both on and off

MODEL AND APPARATUS

The tests were conducted in the Langley 4- by 4-foot supersonic pressure tunnel at M = 1.41 and 2.01.

The 1/20-scale model of the Convair MX-1554 airplane used in this investigation is shown in figure 2. Details of the model (which was supplied by the contractor) are given in table I. The basic configuration for the present (designated herein as Phase II) tests had a 60° delta wing mounted on the short fuselage in a mid-low position and had NACA 0004-65 (mod.) airfoil sections. The vertical tail was similar in plan form and section to the wing semispan. The model was equipped with wing trailing-edge flaps and a rudder. The configuration had chordwise wing fences and a probe projecting from the nose. Twin ram-type inlets were located well forward on the sides of the fuselage, but for the present tests (Phase II) the inlets were closed by means of faired plugs. The blunt interim nose N₃ and the blunt 30° optical flat canopy C_1 tested as part of the Phase I basic configuration were replaced by a pointed nose shape N_{\parallel} and a sharp-leading-edge vee-canopy C_7 for the Phase II tests.

Three different afterbodies (fig. 3) were tested: a short symmetrical afterbody (which was part of the basic configuration); an elongated symmetrical afterbody; and an elongated upswept afterbody, designed to provide ground clearance. The latter two afterbodies, which have base areas approximately the same as the base area of the short symmetrical afterbody, were designed to provide a more gradual decrease in the cross-sectional area distribution of the complete configuration. Figure 4 presents a series of photographs showing the complete configuration with the different afterbodies installed. The cross-sectional area distribution of the complete model with the various afterbodies is given in figure 5.

A body of revolution (fig. 6) having the same cross-sectional area distribution as the complete basic configuration (WBPFN $_{\rm L}$ C $_{\rm T}$ VT $_{\rm 60}$ D $_{\rm F}$ + Short symmetrical afterbody) was tested to provide additional data for area-rule consideration.

COLUMN TO THE PARTY OF THE PART



Forces and moments were measured by means of a six-component internal strain-gage balance and indicating system.

TESTS

The model was mounted on a 4° bent sting which enabled pitch tests to be made through an angle-of-attack range from -4° to 12° at $\beta=0^{\circ}$ and sideslip tests to be conducted through a range of sideslip angles from -4° to 12° at 0° and 4° angle of attack.

The various conditions for the tests were:

Mach number	Reynolds number, based on M.A.C.	Stagnation pressure, lb/sq in. abs.	Stagnation temperature, $^{\circ}_{ m F}$
1.41	1.37 × 10 ⁶ 3.08 4.80 7.02 8.83	4 9 1 ¹ 4 21 27	100 100 100 110 120
2.01	1.13 2.55 3.96 5.83 7.27	4* 9 1 ⁴ 21 27	100 100 100 108 120

^{*}For this low stagnation pressure, the test section Mach number was approximately 1.97.

The stagnation dew point for the test was less than -25° F.

CORRECTIONS AND ACCURACY

The angles of attack and sideslip have been corrected for deflections of the balance and sting caused by the aerodynamic loads and are estimated to be accurate within $\pm 0.2^{\circ}$. The estimated accuracy of the control-deflection settings was $\pm 0.1^{\circ}$.

No corrections were made for Mach number gradient and flow angularity. It should be noted that center-line calibration measurements of the M = 2.0 nozzle indicate that the free-stream Mach number drops to 1.97 at p_0 = 4 lb/sq in. abs. Accordingly, the low Reynolds number data



have been computed for a free-stream M=1.97. Inasmuch as this change in M is small, the data are presented on the M=2.01 plots. The variations of Mach number and flow angularity are:

M = 1.41	M = 2	2.01
po, lb/sq in. abs.	p _o , lb/sq	in. abs.
4, 9, 14, 21, 27	4	9, 14, 21, 27
±0.01	1.97 ± 0.015	±0.01
+0.0 -0.25	±0.05	±0.05
+0.15 -0.25	±0.1	±0.05
	p _o , lb/sq in. abs. 4, 9, 14, 21, 27 ±0.01 +0.0 -0.25 +0.15	p ₀ , lb/sq in. abs. p ₀ , lb/sq 4, 9, 14, 21, 27 4 ±0.01 1.97 ± 0.015 +0.0 ±0.05 +0.15 ±0.1

The estimated errors in the coefficients are as follows:

$\mathtt{c}_{\mathtt{L}}$	•	•	•	•	•	•	•	•	•	•	•	•	•	•	٠	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	±0.005
																																±0.001
111																																±0.002
$\mathtt{C}_{\mathbf{Y}}$			•	•	•	•		•	•		•	•	•	•	•	•	•	•	•		•	•	•		•	•	•	•	•	•	•	±0.003
c_n		•						•		•	•			•	•	•	•	•				•	•	•				•	•		1	<u>t</u> o.0002
cı		•	•		•	•		•	•	•	•			•	•	•	•	•				•					•	•	•	•	4	to.0002

Base-pressure measurements were made for all tests and the longitudinal-force coefficients were corrected to correspond to a base pressure equal to free-stream static pressure. It is believed that sting interference effects on the upswept afterbody are small and that the changes in the upswept afterbody (fig. 3) to provide sting clearance had little effect on the aerodynamic characteristics.

PRESENTATION OF RESULTS

The results of the investigation are presented in figures 7 to 16 as follows:

Data presented

Longitudinal characteristics	Figure
Pitch tests, with various elevon deflections, of the complete configuration with the short symmetrical afterbody, the elongated symmetrical afterbody, and the elongated unswept afterbody.	7
(a) $M = 1.41$; $R = 4.80 \times 10^6$ (b) $M = 2.01$; $R = 3.96 \times 10^6$	
Pitch tests of the complete basic configuration (short symmetrical afterbody) at various Reynolds numbers.	8
(a) $M = 1.41$ (b) $M = 2.01$	
Curves of ΔC_D versus C_L^2 for the various test configurations at M = 1.41 and 2.01, δ_e = 0°. Variable R data are presented for the basic configuration.	9
Pitch tests of the complete basic configuration (short symmetrical afterbody), the wing-body combination, and the "equivalent-area" distribution body of revolution. $M = 1.41$; $R = 4.8 \times 10^6$.	10
Lateral characteristics	
Sideslip tests at $\alpha=0^{\circ}$ of the complete basic configuration (short symmetrical afterbody) with and without the vertical tail.	11
(a) $M = 1.41$; $R = 4.80 \times 10^6$ (b) $M = 2.01$; $R = 3.96 \times 10^6$	
Sideslip tests at $\alpha=4^{\circ}$, $\delta_R=0^{\circ}$, of the complete configuration with the short symmetrical afterbody, the elongated symmetrical afterbody, and the elongated upswept afterbody.	12
Sideslip test at $\alpha=4^{\circ}$, $\delta_{R}=-15^{\circ}$, of the complete configuration with the short symmetrical afterbody.	

(a) M = 1.41; $R = 4.80 \times 10^6$ (b) M = 2.01; $R = 3.96 \times 10^6$





Sideslip tests at $\alpha=4^{\circ}$ of the complete basic configuration (short symmetrical afterbody) over a Reynolds number range of 1.13×10^{6} to 7.27×10^{6} . $\delta_{R}=0^{\circ}$; M=2.01.

Variation with Mach number

Longitudinal parameters through the supersonic Mach number range. $\beta = 0^{\circ}$.

Longitudinal control parameters through the supersonic Mach number range. $\beta = 0^{\circ}$.

Lateral parameters through the supersonic Mach number range.

(a) $\alpha = 0^{\circ}$ (b) $\alpha = 1^{\circ}$

The longitudinal parameters $C_{L_{\alpha}}$, $C_{m_{C_L}}$, $C_{D_{min}}$, $\left(c_{m\delta_e}\right)_{\alpha=0^\circ}$, $\left(c_{L\delta_e}\right)_{trim}$, and $\left(\alpha_{\delta_e}\right)_{trim}$ are presented in table II and the lateral parameters $c_{Y_{\beta}}$, $c_{l_{\beta}}$, $c_{n_{\beta}}$, and $\left(\beta_{\delta_R}\right)_{C_n=0}$ are given in table III. Table IV is a compilation of the values of c_L , c_m , c_X , c_Y , c_l , and c_n measured for the various test configurations and conditions.

DISCUSSION

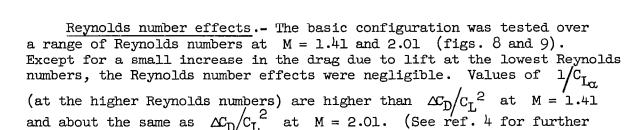
Longitudinal Characteristics

Basic. Changing the nose and canopy shapes of the basic configurations from those of reference 1 had little effect on the aerodynamic characteristics; however, some reduction in drag was noted.

Afterbody extensions. Extending the afterbody length of the complete configuration (fig. 7) caused little change in the minimum longitudinal-force coefficient and in the lift-curve slope at both test Mach numbers. The static margin of the extended afterbody configurations was approximately 0.01 higher than the values of C_{mCL} for the basic configuration

at M = 1.41 and 2.01. The drag due to lift (fig. 9) showed little or no change with afterbody extension at both test Mach numbers.

discussion of these data.)



Controls.- Extending the afterbody length improved the elevon effectiveness at M = 1.41 but had no effect on $C_{m\delta_e}$ at M = 2.01 (table II). The variation of the trim lift coefficient with elevon deflection for the basic configuration was -0.011 and -0.007 at M = 1.41 and 2.01, respectively. The corresponding values of $(\alpha_{\delta_e})_{trim}$ were -0.34 and -0.29. Deflection of the elevons -10° increased C_{Xmin} from -0.022 to -0.028 at M = 1.41 and from -0.020 to -0.023 at M = 2.01; the trim drag coefficient for δ_e = -10° (fig. 7) was 0.032 at M = 1.41 and 0.024 at M = 2.01.

Lateral Characteristics

Basic. The lateral characteristics of the basic configuration were only slightly affected by changing the angle of attack from 0° to 4° (figs. 11 and 12) except at M = 1.41, where $C_{l_{\beta}}$ increased from -0.0006 to -0.0012. At 4° angle of attack, M = 2.01, the changes in the lateral parameters were negligible as the Reynolds number was increased above the nominal test value of 3.96 × 10⁶ (fig. 13). A small decrease in $C_{Y_{\beta}}$ and $C_{n_{\beta}}$ was indicated at R = 1.13 × 10⁶.

Afterbody extensions.— The effects of the different afterbodies on the lateral characteristics of the complete model at $\alpha=4^{\circ}$ are presented in figure 12 for M = 1.41 and 2.01. Increasing the afterbody length improved the directional stability and increased $C_{Y_{\beta}}$ for the complete configuration at both test Mach numbers without affecting $C_{1_{\beta}}$ in the range $-4^{\circ}<\beta<+4^{\circ}$. The parameters $C_{n_{\beta}}$, $C_{Y_{\beta}}$, and $C_{1_{\beta}}$ decreased with increasing Mach number for all configurations (table III).

Controls - Rudder deflections at α = 4° (M = 1.41 and 2.01) caused little change in $C_{Y_{\beta}}$, $C_{l_{\beta}}$, and $C_{n_{\beta}}$ (fig. 12). A value







RESEARCH MEMORANDUM

for the

U. S. Air Force

WIND-TUNNEL INVESTIGATION OF A MODIFIED 1/20-SCALE MODEL

OF THE CONVAIR MX-1554 AIRPLANE AT MACH NUMBERS

OF 1.41 AND 2.01

By John H. Hilton, Jr., and Edward B. Palazzo

Langley Aeronautical Laboratory Langley Field, Va.

IINCLASSIFIED

TO				the set has been self and her has been self
Ву	authority of	TFA	#63	Date 12/3/6/

This material contains information affecting the Hational Defense of the United States within the meaning of the espionage laws, Title 18, U.S.C., Secs. 793 and 794, the transmission or revelation of which in any manner to an unauthorized person is prohibited by law.

NATIONAL ADVISORY COMMITTEE FOR AERONAUTICS

WASHINGTON

AUG 24 1953 CLASSIFIED

NACA RM SL53G30

ではないのは、これには、これでは、これできることできないとのできるというできないというできないというできないというできないというできないというできないというできないというできないというできないという



NATIONAL ADVISORY COMMITTEE FOR AERONAUTICS

RESEARCH MEMORANDUM

for the

U. S. Air Force

WIND-TUNNEL INVESTIGATION OF A MODIFIED 1/20-SCALE MODEL

OF THE CONVAIR MX-1554 AIRPLANE AT MACH NUMBERS

OF 1.41 AND 2.01

By John H. Hilton, Jr., and Edward B. Palazzo

SUMMARY

An investigation of a 1/20-scale model of the Convair MX-1554 airplane has been conducted in the Langley 4- by 4-foot supersonic pressure tunnel to evaluate the effects of extending the length of the fuselage afterbody (in accordance with area-rule considerations) and to provide longitudinal and lateral stability and control data. The tests were made at Mach numbers of 1.41 and 2.01 over a Reynolds number range of 1.13×10^6 to 8.83×10^6 .

The results of the tests indicate that extension of the fuselage afterbody length caused little change in the minimum longitudinal force coefficient and in the drag due to lift. Elongating the afterbody resulted in slight increases in the static longitudinal stability, static directional stability, and side force and had negligible effect on the other parameters.

The variation of trim lift coefficient with elevon deflection for the basic configuration decreased from -0.011 at M=1.41 to -0.007 at M=2.01.

The data indicated a value of -0.3 for $\binom{\beta_{\delta_R}}{C_n=0}$ at M = 1.41,

 $\alpha=4^{\circ}$. The directional stability of the basic configuration decreases with increasing Mach number and is approaching zero near M=2.0, $\alpha=4^{\circ}$.

Reynolds number effects were small; however, some increase in $\Delta C_D \! \! \left/ C_L^{\ 2} \right.$ was indicated at low Reynolds numbers for both test Mach numbers.



INTRODUCTION

An investigation has been conducted in the Langley 4- by 4-foot supersonic pressure tunnel to determine the aerodynamic characteristics of the Convair MX-1554 aircraft configuration. The present tests of the MX-1554 constitute the second phase of a specific research project conducted at the request of the United States Air Force. The results of the first phase of this research project (presented in ref. 1) were concerned with the aerodynamic characteristics of the configuration at Mach numbers of 1.61 and 2.01. The present tests were conducted at M = 1.41 and M = 2.01 to provide additional data for the MX-1554 design and to determine the effects of extending the length of the fuselage afterbody. The changes in the afterbody shape were proposed (on the basis of Langley 8-foot transonic tunnel tests) as a means of reducing the transonic minimum drag rise and were dictated by the area-rule concept. The basic model (short afterbody) of the present tests had a different nose and a different canopy compared to the Phase I configuration (ref. 1).

COEFFICIENTS AND SYMBOLS

The data are referred to the stability-axes system (fig. 1) with the reference center of gravity at 27.5 percent of the wing mean aerodynamic chord.

The coefficients and symbols are defined as follows:

 $^{\mathrm{C}}_{\mathrm{L}}$ lift coefficient, -Z/qS

CX longitudinal-force coefficient, X/qS

 ${
m C_D}$ drag coefficient, ${
m Drag}\over {
m qS}$

 ${\tt C_{{\tt D_{min}}}} \qquad \qquad {\tt minimum \ drag \ coefficient}$

 $\Delta C_D = C_D - C_{D_{min}}$

C_m pitching-moment coefficient, M'/qSc

 $C_{
m Y}$ lateral-force coefficient, Y/qS

 C_n yawing-moment coefficient, N/qSb

 $\delta_{\!R}$

 $\mathbf{c}_{\mathbf{m}\mathbf{C}^{\mathbf{L}}}$

?		
2 00 2 00 2000	cı	rolling-moment coefficient, L/qSb
:• ` •	x	force along X-axis, lb
•••	Y	force along Y-axis, lb
	Z	force along Z-axis, lb
er S	L	moment about X-axis, lb-ft
	M'	moment about Y-axis, lb-ft
	N	moment about Z-axis, lb-ft
•	q	free-stream dynamic pressure, lb/sq ft
4 1	R	Reynolds number
	S	total wing area, sq ft
	Ъ	wing span, ft
	ē	wing mean aerodynamic chord, ft
	с	local wing chord, ft
· · · · · · · · · · · · · · · · · · ·	М	Mach number
∜ ⊈ ∰	P_{O}	tunnel stagnation pressure, lb/sq in
	a	angle of attack of fuselage center line, deg
	β	angle of sideslip, deg
	δ_{e}	elevon deflection angle, deg

longitudinal-stability parameter, rate of change of pitching-moment coefficient with lift coefficient, $\delta c_m/\delta c_L$

Wand Remains and Miles was

rudder deflection angle, deg

lift-curve slope

 $\mathtt{C}_{\mathtt{n}_{\beta}}$

directional-stability parameter, rate of change of yawing-moment coefficient with angle of sideslip, $\partial C^{n}/\partial B$

 \mathtt{c}_{ι_β}

effective-dihedral parameter, rate of change of rolling-moment coefficient with angle of sideslip, 3C₁/3β

 $\mathtt{C}_{Y_{\beta}}$

lateral-force parameter, rate of change of lateralforce coefficient with angle of sideslip,

rate of change of lift coefficient with elevon deflection at $C_m = 0$, $\partial C_L / \partial \delta_e$

rate of change of angle of attack with elevon deflection at $C_{\rm m} = 0$, $\partial \alpha / \partial \delta_{\rm e}$

rate of change of angle of sideslip with rudder deflection at $C_n = 0$, $\partial \beta / \partial \delta_R$

Configuration symbols:

W

wing

В

body

 c_1

blunt-canopy, inclined 30°

 C_7

vee-canopy

P

nose probe

Nz

blunt, interim nose shape

 N_{\downarrow}

pointed, final nose shape

VT60

vertical tail, 60° sweptback leading edge, 5° sweptforward trailing edge

VT60-1

vertical tail, 60° sweptback leading edge, 0° sweptforward trailing edge

The second of th

 D_{o}

inlets open



 $\mathrm{D}_{\mathbf{F}}$ inlets closed with faired plugs

 $\mathrm{D_F}^{\mathrm{O}}$ inlets open and closed

F chordwise wing fences on

 F_{w}^{O} chordwise wing fences both on and off

MODEL AND APPARATUS

The tests were conducted in the Langley 4- by 4-foot supersonic pressure tunnel at M = 1.41 and 2.01.

The 1/20-scale model of the Convair MX-1554 airplane used in this investigation is shown in figure 2. Details of the model (which was supplied by the contractor) are given in table I. The basic configuration for the present (designated herein as Phase II) tests had a 60° delta wing mounted on the short fuselage in a mid-low position and had NACA 0004-65 (mod.) airfoil sections. The vertical tail was similar in plan form and section to the wing semispan. The model was equipped with wing trailing-edge flaps and a rudder. The configuration had chordwise wing fences and a probe projecting from the nose. Twin ram-type inlets were located well forward on the sides of the fuselage, but for the present tests (Phase II) the inlets were closed by means of faired plugs. The blunt interim nose N₃ and the blunt 30° optical flat canopy C_1 tested as part of the Phase I basic configuration were replaced by a pointed nose shape N_{\parallel} and a sharp-leading-edge vee-canopy C_7 for the Phase II tests.

Three different afterbodies (fig. 3) were tested: a short symmetrical afterbody (which was part of the basic configuration); an elongated symmetrical afterbody; and an elongated upswept afterbody, designed to provide ground clearance. The latter two afterbodies, which have base areas approximately the same as the base area of the short symmetrical afterbody, were designed to provide a more gradual decrease in the cross-sectional area distribution of the complete configuration. Figure 4 presents a series of photographs showing the complete configuration with the different afterbodies installed. The cross-sectional area distribution of the complete model with the various afterbodies is given in figure 5.

A body of revolution (fig. 6) having the same cross-sectional area distribution as the complete basic configuration (WBPFN $_{\rm L}$ C $_{\rm T}$ VT $_{\rm 60}$ D $_{\rm F}$ + Short symmetrical afterbody) was tested to provide additional data for area-rule consideration.

COLUMN TO THE REAL PROPERTY.



Forces and moments were measured by means of a six-component internal strain-gage balance and indicating system.

TESTS

The model was mounted on a 4° bent sting which enabled pitch tests to be made through an angle-of-attack range from -4° to 12° at $\beta=0^{\circ}$ and sideslip tests to be conducted through a range of sideslip angles from -4° to 12° at 0° and 4° angle of attack.

The various conditions for the tests were:

Mach number	Reynolds number, based on M.A.C.	Stagnation pressure, lb/sq in. abs.	Stagnation temperature, $^{\circ}_{ m F}$
1.41	1.37 × 10 ⁶	4	100
	3.08	9	100
	4.80	1 ¹ 4	100
	7.02	21	110
	8.83	27	120
2.01	1.13	4 *	100
	2.55	9	100
	3.96	1 ¹ 4	100
	5.83	21	108
	7.27	27	120

^{*}For this low stagnation pressure, the test section Mach number was approximately 1.97.

The stagnation dew point for the test was less than -25° F.

CORRECTIONS AND ACCURACY

The angles of attack and sideslip have been corrected for deflections of the balance and sting caused by the aerodynamic loads and are estimated to be accurate within $\pm 0.2^{\circ}$. The estimated accuracy of the control-deflection settings was $\pm 0.1^{\circ}$.

No corrections were made for Mach number gradient and flow angularity. It should be noted that center-line calibration measurements of the M = 2.0 nozzle indicate that the free-stream Mach number drops to 1.97 at p_0 = 4 lb/sq in. abs. Accordingly, the low Reynolds number data



have been computed for a free-stream M=1.97. Inasmuch as this change in M is small, the data are presented on the M=2.01 plots. The variations of Mach number and flow angularity are:

M = 1.41	M = 2	2.01
po, lb/sq in. abs.	p _o , lb/sq	in. abs.
4, 9, 14, 21, 27	4	9, 14, 21, 27
±0.01	1.97 ± 0.015	±0.01
+0.0 -0.25	±0.05	±0.05
+0.15 -0.25	±0.1	±0.05
	p _o , lb/sq in. abs. 4, 9, 14, 21, 27 ±0.01 +0.0 -0.25 +0.15	p ₀ , lb/sq in. abs. p ₀ , lb/sq 4, 9, 14, 21, 27 4 ±0.01 1.97 ± 0.015 +0.0 ±0.05 +0.15 ±0.1

The estimated errors in the coefficients are as follows:

$\mathtt{c}_{\mathtt{L}}$	•	•	•	•	•	•	•	•	•	•	•	•	•	•	٠	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	±0.005
																																±0.001
111																																±0.002
$\mathtt{C}_{\mathbf{Y}}$			•	•	•	•		•	•		•	•	•	•	•	•	•	•	•		•	•	•		•	•	•	•	•	•	•	±0.003
c_n		•						•		•	•			•	•	•	•	•				•	•	•				•	•		1	<u>t</u> o.0002
cı			•		•	•		•	•	•	•			•	•	•	•	•				•					•	•	•	•	4	to.0002

Base-pressure measurements were made for all tests and the longitudinal-force coefficients were corrected to correspond to a base pressure equal to free-stream static pressure. It is believed that sting interference effects on the upswept afterbody are small and that the changes in the upswept afterbody (fig. 3) to provide sting clearance had little effect on the aerodynamic characteristics.

PRESENTATION OF RESULTS

The results of the investigation are presented in figures 7 to 16 as follows:

Data presented

Longitudinal characteristics	Figure
Pitch tests, with various elevon deflections, of the complete configuration with the short symmetrical afterbody, the elongated symmetrical afterbody, and the elongated unswept afterbody.	7
(a) $M = 1.41$; $R = 4.80 \times 10^6$ (b) $M = 2.01$; $R = 3.96 \times 10^6$	
Pitch tests of the complete basic configuration (short symmetrical afterbody) at various Reynolds numbers.	8
(a) $M = 1.41$ (b) $M = 2.01$	
Curves of ΔC_D versus ${C_L}^2$ for the various test configurations at M = 1.41 and 2.01, δ_e = 0°. Variable R data are presented for the basic configuration.	9
Pitch tests of the complete basic configuration (short symmetrical afterbody), the wing-body combination, and the "equivalent-area" distribution body of revolution. $M = 1.41$; $R = 4.8 \times 10^6$.	10
Lateral characteristics	
Sideslip tests at $\alpha=0^{\circ}$ of the complete basic configuration (short symmetrical afterbody) with and without the vertical tail.	11
(a) $M = 1.41$; $R = 4.80 \times 10^6$ (b) $M = 2.01$; $R = 3.96 \times 10^6$	
Sideslip tests at $\alpha = 4^{\circ}$, $\delta_R = 0^{\circ}$, of the complete configuration with the short symmetrical afterbody, the elongated symmetrical afterbody, and the elongated upswept afterbody.	12
Sideslip test at $\alpha=4^{\circ}$, $\delta_{R}=-15^{\circ}$, of the complete configuration with the short symmetrical afterbody.	
()	

(a) M = 1.41; $R = 4.80 \times 10^6$ (b) M = 2.01; $R = 3.96 \times 10^6$

(b)
$$M = 2.01$$
; $R = 3.96 \times 10^6$





Sideslip tests at $\alpha=4^{\circ}$ of the complete basic configuration (short symmetrical afterbody) over a Reynolds number range of 1.13×10^{6} to 7.27×10^{6} . $\delta_R=0^{\circ}$; M=2.01.

Variation with Mach number

Longitudinal parameters through the supersonic Mach number range. $\beta = 0^{\circ}$.

Longitudinal control parameters through the supersonic Mach number range. $\beta = 0^{\circ}$.

Lateral parameters through the supersonic Mach number range.

(a) $\alpha = 0^{\circ}$ (b) $\alpha = 4^{\circ}$

The longitudinal parameters $C_{L_{\alpha}}$, $C_{m_{C_L}}$, $C_{D_{min}}$, $\left(c_{m\delta_e}\right)_{\alpha=0^\circ}$, $\left(c_{L\delta_e}\right)_{trim}$, and $\left(\alpha_{\delta_e}\right)_{trim}$ are presented in table II and the lateral parameters $c_{Y_{\beta}}$, $c_{l_{\beta}}$, $c_{n_{\beta}}$, and $\left(\beta_{\delta_R}\right)_{C_n=0}$ are given in table III. Table IV is a compilation of the values of c_L , c_m , c_X , c_Y , c_l , and c_n measured for the various test configurations and conditions.

DISCUSSION

Longitudinal Characteristics

Basic. Changing the nose and canopy shapes of the basic configurations from those of reference 1 had little effect on the aerodynamic characteristics; however, some reduction in drag was noted.

Afterbody extensions.— Extending the afterbody length of the complete configuration (fig. 7) caused little change in the minimum longitudinal-force coefficient and in the lift-curve slope at both test Mach numbers. The static margin of the extended afterbody configurations was approximately 0.01 higher than the values of C_{mCL} for the basic configuration

at M = 1.41 and 2.01. The drag due to lift (fig. 9) showed little or no change with afterbody extension at both test Mach numbers.

Reynolds number effects.— The basic configuration was tested over a range of Reynolds numbers at M = 1.41 and 2.01 (figs. 8 and 9). Except for a small increase in the drag due to lift at the lowest Reynolds numbers, the Reynolds number effects were negligible. Values of $1/C_{L_{CL}}$ (at the higher Reynolds numbers) are higher than $\Delta C_D/C_L^2$ at M = 1.41 and about the same as $\Delta C_D/C_L^2$ at M = 2.01. (See ref. 4 for further discussion of these data.)

Controls.- Extending the afterbody length improved the elevon effectiveness at M = 1.41 but had no effect on $C_{m\delta_e}$ at M = 2.01 (table II). The variation of the trim lift coefficient with elevon deflection for the basic configuration was -0.011 and -0.007 at M = 1.41 and 2.01, respectively. The corresponding values of $(\alpha_{\delta_e})_{trim}$ were -0.34 and -0.29. Deflection of the elevons -10° increased C_{Xmin} from -0.022 to -0.028 at M = 1.41 and from -0.020 to -0.023 at M = 2.01; the trim drag coefficient for δ_e = -10° (fig. 7) was 0.032 at M = 1.41 and 0.024 at M = 2.01.

Lateral Characteristics

Basic. The lateral characteristics of the basic configuration were only slightly affected by changing the angle of attack from 0° to 4° (figs. 11 and 12) except at M = 1.41, where $C_{l_{\beta}}$ increased from -0.0006 to -0.0012. At 4° angle of attack, M = 2.01, the changes in the lateral parameters were negligible as the Reynolds number was increased above the nominal test value of 3.96 × 10⁶ (fig. 13). A small decrease in $C_{Y_{\beta}}$ and $C_{n_{\beta}}$ was indicated at R = 1.13 × 10⁶.

Afterbody extensions.— The effects of the different afterbodies on the lateral characteristics of the complete model at $\alpha=4^{\circ}$ are presented in figure 12 for M = 1.41 and 2.01. Increasing the afterbody length improved the directional stability and increased $C_{Y_{\beta}}$ for the complete configuration at both test Mach numbers without affecting $C_{1_{\beta}}$ in the range $-4^{\circ}<\beta<+4^{\circ}$. The parameters $C_{n_{\beta}}$, $C_{Y_{\beta}}$, and $C_{1_{\beta}}$ decreased with increasing Mach number for all configurations (table III).

Controls - Rudder deflections at α = 4° (M = 1.41 and 2.01) caused little change in $C_{Y_{\beta}}$, $C_{l_{\beta}}$, and $C_{n_{\beta}}$ (fig. 12). A value

C TEDENTIES





of $(\beta \delta_R)_{C_n=0}=$ -0.3 was measured at M = 1.41. At M = 2.01, however, no value of $(\beta \delta_R)_{C_n=0}$ could be measured with $\delta_R=$ -15 $^{\circ}$ because of the low value of $C_{n_{\beta}}$.

Variation of Aerodynamic Parameters With Mach Number

Figures 14 to 16 are presented to show the correlation and variation of the longitudinal and lateral parameters with Mach number for the Convair MX-1554 configuration.

In general, the correlation of the data between the various test facilities is good except for some scatter in the drag results. There is some question, however, whether certain of these drag data are corrected for internal flow and base drag (fig. 14). The 4- by 4-foot supersonic pressure tunnel value of $C_{\mbox{Dmin}}$ at M = 2.01 was lower for the second phase tests than for the Phase I (ref. 1) tests. This reduction is believed due to the changes in the basic canopy and nose shapes.

The values of the "tail-on" effective dihedral parameter from reference 3 are lower than the $C_{l_{\beta}}$ values from the other facilities at M = 1.22 and 1.56 (fig. 16(a), α = 0°).

Figure 16(b) presents the values of the lateral parameters at $\alpha=4^{\rm O}$ obtained from tests of the Convair MX-1554 in the 4- by 4-foot supersonic pressure tunnel at M = 1.41, 1.61, and 2.01. The change in the directional stability (between the Phase I and Phase II tests) indicated by the individual fairing of the $C_{\rm n_{\beta}}$ curves versus M is within the experimental accuracy but may be due in part to changes in the nose shape, canopy shape,

accuracy but may be due in part to changes in the nose shape, canopy shape, and inlet openings of the basic configuration between the Phase I and Phase II tests. In any case, $C_{n_{\beta}}$ is approaching 0 near M=2.0 (fig. 16(b)).

CONCLUDING REMARKS

The results of the present tests of the Convair MX-1554 at M=1.41 and 2.01 indicate that extension of the fuselage afterbody length caused little change in the minimum longitudinal-force coefficient and in the drag due to lift. Elongating the afterbody resulted in slight increases in the static longitudinal stability, static lateral stability, and side force and had negligible effect on the other parameters.

CAPARATE PROPERTY



The variation of trim lift coefficient with elevon deflection for the basic configuration decreased from -0.011 at M=1.41 to -0.007 at M=2.01.

The data indicated a value of -0.3 for $\left(\beta_{\delta R}\right)_{Cn}=0$ at M = 1.41, α = 4°. The directional stability of the basic configuration decreases with increasing Mach number and is approaching zero near M = 2.0, α = 4°.

Reynolds number effects were small; however, some increase in $\Delta c_D/c_L^2$ was indicated at low Reynolds numbers for both test Mach numbers.

Langley Aeronautical Laboratory,
National Advisory Committee for Aeronautics,
Langley Field, Va., July 28, 1953.

John H. Hilton, Jr. Aeronautical Research Scientist

Alu XXIlly

Edward B. Palazzo
Aeronautical Engineer

Approved:

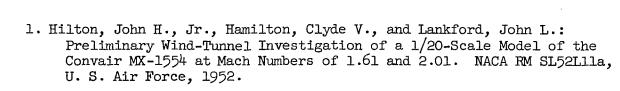
John V. Becker

Chief of Compressibility Research Division

DRY

wand bein man and damin and





- 2. O'Brien, Norman R.: Summary of Wind Tunnel Test Results for the F-102 Airplane at Mach 1.20 in the Coop Wind Tunnel Utilizing a 1/20th Scale Model. Aero Memo A-8-8 (Revision A), Consolidated Vultee Aircraft Corp., Feb. 20, 1952.
- 3. Anon: Supersonic Wind Tunnel Tests of an .016 Scale Model of the F-102 Airplane in the NOL 40cm × 40cm Wind Tunnel. Part I: Evaluation of the Preliminary Configuration. Aero Memo A-8-17, Consolidated Vultee Aircraft Corp., May 16, 1952.
- 4. Osborne, Robert S., and Kelly, Thomas C.: A Note on the Drag Due to Lift of Delta Wings at Mach Numbers up to 2.0. NACA RM L53Al6a, 1953.

TABLE I.- DIMENSIONAL DATA FOR A 1/20-SCALE MODEL OF THE CONVAIR MX-1554 AIRPLANE

Wing:	
Area, sq ft Span, in. Mean aerodynamic chord, in. Aspect ratio Root chord, in. Tip chord, in. Airfoil section Angle of incidence, deg Dihedral angle, deg Sweepback of leading edge, deg Sweepforward of trailing edge, deg	850040)0005
Leading-edge radius in percent chord (measured streamwise) 0.18	3
Vertical tail: Area (exposed), sq in. Span, in. Aspect ratio (panel) Taper ratio Root chord, in. Tip chord, in. Airfoil section Sweepback of leading edge, deg Sweepforward of trailing edge, deg 5	7 2 L O + O 1 O
Fuselage: Length with short symmetrical afterbody, in) , ,

C. The Boundary of

TABLE II -- LONGITUDINAL PARAMETERS OF THE CONVAIR MX-1554 MODEL AT M = 1.41 AND 2.01

										Longitudin	al parameters						
Configura	tion						M =	1.41			-			M =	2.01		·
	δe, deg	δR, deg	β, deg	Reynolds number	$c_{\mathbf{L}_{\alpha}}$	C ^{mCT}	C _{Dmin}	$\left(^{\mathcal{C}_{\mathrm{L}_{\delta_{e}}}}\right)_{\mathrm{trim}}$	$\left(\alpha\delta_{e}\right)_{\text{trim}}$	$\left(c_{m_{\delta_e}}\right)_{\alpha=0^o}$	Reynolds number	C.T.	CmCL	C _X min	$\left(^{c_{L_{\delta_e}}}\right)_{\text{trim}}$	$\left(^{\alpha}\delta_{e}\right)_{\text{trim}}$	$\left(c_{m_{\delta_e}}\right)_{\alpha=0}$
W + B + P + F + N _{ϕ} + C ₇ + VT ₆₀ + D _F + Short symmetrical afterbody	0 0 0 0	0 0 0 0	0 0 0 0 0	1.37 × 10 ⁶ 3.08 4.80 7.02 8.83 4.80	0.046 .046 .046 .046 .046	-0.198 198 198 198 198 202	0.022 .022 .022 .022 .022	-0.011	-0.3 <u>4</u>	-0.0031	1.13 × 10 ⁶ 2.55 3.96 5.83 7.27 3.96	0.033 .033 .033 .033 .033 .034	-0.179 179 179 179 179 184	-0.020 020 020 020 020 025	-0.007	-0.29	-0.0018
W + B + P + F + N ₄ + C ₇ + VT ₆₀ + D _F + Elongated symmetrical afterbody	0 10	0	; o	4.80 4.80	.047 .047	209 210	.022	~.012	36	0034	3.96 3.96	.034 .034	192 194	020 023	007	30	0019
W + B + F + F + N ₁ + C ₇ + VT ₆₀ + D _F + Elongated upswept afterbody	0	0	0	4.80	.047	210	.022				3.96	.034	192	020		,	
W + B + F + N _l + D _F + Short symmetrical afterbody	0		0	4.80	.046		.019									جــــــــــــــــــــــــــــــــــــ	
"Equivalent-area" body of revolution			0	4.80			.019						_			- NA	- مرسر ک

TABLE III.- LATERAL PARAMETERS OF THE CONVAIR MX-1554 MODEL AT M = 1.41 AND 2.01

								Lateral	parameters				
Configuration				<u> </u>		M = 1.43	L				M = 2.	01	
	δe,	δ _R , deg	a, deg	Reynolds number	c _{Y_β}	C _l _β	c _n _β	$\left(\beta\delta_{R}\right)_{C_{\mathbf{n}}=0}$	Reynolds number	C _{Y_β}	C,	. с _п	$\left(\beta_{\delta_{\mathbf{R}}}\right)_{\mathbf{C}_{\mathbf{n}}=0}$
W + B + P + F + N ₄ + C ₇ + VT ₆₀ + D _F + Short symmetrical afterbody	00000	0 0 0 -15 0	3.9 3.9 3.9 3.9	4.80 × 10 ⁶ 4.80 4.80	-0.0089 0091 0093	-0.0012 0012 0006	.0011	-0.3	1.13 × 10 ⁶ 3.96 7.27 3.96 3.96	0069 0074 0074 0074 0081	000¼ 000¼ 000¼ 000¼	.0002 .0003 .0003 .0003	
$W + B + P + F + N_{\parallel} + C_{\uparrow} + D_{F} +$ Short symmetrical afterbody	0		0	4.80	0020	.0002	001 ⁴		3.96	0026	0004	0013	
W + B + P + F + N ₄ + C ₇ + VT ₆₀ + D _F + Elongated symmetrical afterbody	0	0	3.9	4.80	0089	0012	.0014		3. 96	0078	0004	.0005	
W + B + P + F + N ₄ + C ₇ + VT ₆₀ + D _F + Elongated upswept afterbody	٥	0	3.9	4.80	0089	0012	.0013		3.96	0078	0004	•0004	·



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE

10000	М	Configuration	R	a, deg	β, deg	C _L	CX	C _m	CZ	Cn	CY
Section 1. The section of the sectio	1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_{\rm e} = 0^{\rm o}$; $\delta_{\rm R} = -15^{\rm o}$	4.80 × 10 ⁶	٠٠٠)	-4.08 -2.05 03 1.99 4.02 6.05 8.09 10.13 12.18 6.05 .98		036 036 035 035 035 034 033	035 035 034 034 033 033 032 034 035	0.0033 .0008 0012 0042 0065 0083 0096 0106 0112 0082 0029	.0031 .0049 .0076 .0099 .0118 .0133 .0143 .0145 .0117	.008 006 028 047 066 085 106 126
h, .c. 150	1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{\circ}$	4.80 × 10 ⁶	-4.30 -2.16 03 2.11 4.24 6.39 8.51 10.64 6.39 04	 02 0	214 114 016 .082 .181 .286 .378 .467 .284 019	036 038 027 023 025 034 051 074 104 052 023	035 .041 .021 .002 017 037 057 075 093	0016 .0002 .0002 0 0 0001 0002 0003 0002	.0052 .0004 .0003 .0004 .0004 .0004	001 .001 .001 001 001 002 003 003





TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

M	Configuration	R	a, deg	β, deg	$c_{\mathtt{L}}$	$C_{\mathbf{X}}$	C _m	Cl	Cn	CY
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^0$	7.02 × 10 ⁶	-4.56 -2.26 04 2.16 4.40 6.62 05		-0.215 115 014 .083 .192 .292 019	027 023 025 035 052	.020 .001 017 039 058	0001 0 0001 0002	.0004 .0003 .0004 .0004	0 001 002 002
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{O}$	8.83 × 10 ⁶	-3.48 -2.33 07 2.22 4.53 07		169 116 017 .086 .198 018	036	.021 .002 018 039	.0001 0 0001 0001		0 0 001 002
1.41	WBPFN $_{\rm L}^{\rm C}$ 7 $^{\rm VT}$ 60 $^{\rm D}$ F + Short symetrical afterbody $\delta_{\rm e} = \delta_{\rm R} = 0^{\rm O}$	1.37 × 10 ⁶	-4.09 -2.06 01 2.02 4.07 6.10 8.14		210 115 021 .072 .169 .262	037 026 022 024 034 048	.001 016 035 054	.0002 .0001 0 0		0



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

M	Configuration	R	α, deg	β, deg	$^{\mathrm{C}_{\mathrm{L}}}$	c _X	$C_{\mathbf{m}}$	Cl	C _n	CY
1.41	$\begin{array}{c} \text{WBPFN}_{4}\text{C}_{7}\text{VT}_{60}\text{D}_{F} \text{ +} \\ \\ \text{Short symetrical afterbody} \\ \delta_{e} = \delta_{R} = \text{O}^{o} \end{array}$	1.37 × 10 ⁶	10.18 12.21 6.10 01	J	0.439 .524 .257 021	-0.097 '129 048 022	107	0	.0005	002
1.41	$\label{eq:bounds} \begin{array}{l} \text{WBPFN}_4 \text{C}_7 \text{VT}_{60} \text{D}_F + \\ \text{Short symetrical afterbody} \\ \delta_e = \delta_R = \text{O}^\text{O} \end{array}$	3.08 × 10 ⁶	-4.19 -2.10 02 2.07 4.15 6.24 8.32 10.41 12.49 6.23 02		211 110 018 .077 .176 .271 .370 .457 .541 .270 019	037 026 022 025 034 050 072 101 135 049 022	.040 .020 .002 016 036 056 075 091 108 055 002	0 0 0 0 0001 0001	.0004 .0004 .0004 .0005 .0005 .0005 .0005	0 001 002 002 002 003 002
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{o}$	4.80 × 10 ⁶	-4.22 -2.09 .04 2.17 4.31		260 159 061 .038 .140	048 035 029 029 036	.074 .053 .033 .012 008	0001 0001	.0002 .0003 .0002 .0002 .0003	.001 .001 0 001



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	α, deg	β, deg		CX	C _m	Cl	$\mathtt{c_n}$	C _Y
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = -10^\circ$; $\delta_R = 0^\circ$	4.80 × 10 ⁶	6.45 8.59 10.70 12.82 6.45 .04	0	0.241 .335 .414 .498 .238	072 097 129 050		-0.0003 0005 0003 0003 0001		003 003 003 002
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody $\delta_e = -10^{\circ}; \ \delta_R = 0^{\circ}$		-4.20 -2.08 .06 2.20 4.34 6.49 8.63 10.77 4.34	0	262 163 065 .038 .141 .244 .338 .431 .138 066	035 028 029 036 051 072 100 036	.079 .057 .037 .015 007 028 047 066 006	.0001 .0001 0001 0002 0003 0006 0004 0002	.0003 .0004 .0003 .0004 .0004 .0006 .0006	

SAM HANNIGE PRENTATION





TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	a, deg	β, deg	${ t C_L}$	CX	C _m	cı	c_n	$\mathtt{c}_{\mathtt{Y}}$
1.41	Elongated symetrical afterbody $\delta_e = \delta_R = 0^O$	•	-2.16 03 2.09 4.24 6.37 8.51 10.62 6.38 03		116 016 .083 .185 .290 .387 .477 .293 014 .185 .185 .185 .184 .181	026 022 025 031 075 052 052 033 033 033 031 031 030 032	.022 .001 019 040 062 082 062 039 039 039 039 038 038 037 037		.0006 .0006 .0006 .0006 .0006 .0006 .0006 .0006 0029 0001 .0026 .0055 .0079 .0102 .0117 .0125	0001001002003003002001017037057057057057057057



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	a, deg	β, deg	$C_{\mathbf{L}}$	$^{\mathrm{C}}\mathrm{X}$	C _m	Cl	Cn	CY
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody $\delta_e = \delta_R = 0^{O}$	4.80 × 106	-4.27 -2.14 01 2.12 4.25 6.38 8.51 10.62 6.38 01		-0.221 120 018 .080 .182 .286 .380 .469 .284 022	027 022 024 033 050 073 102 050	.027 .005 015 037 059 078 097 058	.0005 .0004 .0003 .0004 .0003	.0009 .0010 .0009 .0010	001 002 002 003 003 004 003
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody $\delta_e = \delta_R = 0^0$	4.80 × 10 ⁶	3. 8	-4.05 -2.03 0 2.02 4.04 6.07 8.11 10.14 12.19 6.07 0	.179 .181 .179 .176 .175 .168 .162 .153 .173	032 032 032 032 031 031 030	034 034 033 033 032 034	.0026 .0000 0024 0047 0065 0078 0087 0093 0064	.0026 .0052 .0077	.036 .019 .001 018 037 058 078 099 121 057

TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

M	Configuration		R	α, deg	β, deg	$^{\mathrm{C}_{\mathbf{L}}}$	C _X	C _m	Cl	C _n	CY
1.41	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^0$		= 106	3.8	-4.05 -2.03 0 2.02 4.05 6.08 8.12 10.15 12.20 6.08	.182 .181 .179 .178 .174 .171 .164	033 033 033 032 032 031 030 032	036 036 035 035 035 034 034 035	.0042 .0022 0003 0028 0052 0069 0084 0093 0069 0003	0003 .0018 .0041 .0059 .0072 .0080 .0081	.019 .001 016 035 054 073 093 114 054
1.41	WBPFN $_{\rm L}$ C $_{\rm 7}$ VT $_{\rm 60}$ D $_{\rm F}$ + Short symetrical afterbody $\delta_{\rm e}$ = $\delta_{\rm R}$ = 0 $^{\rm O}$	4.80	× 10 ⁶	2	-2.03 0 2.02 4.05 6.07 8.10 10.14 12.19 6.07	015 017 018 019 020 024 028 034 021 018	022 023 022 022 022 022 021 022	.003 .003 .003 .003 .003 .003		0027 0004 .0016 .0040 .0063 .0082 .0096 .0103	.021 .002 016 035 056 076 097 119

Taraffanel(General)(0.9)



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

:	М	Configuration	R	α, deg	β, deg	СL	СX	Cm	Cl	Cn	CY
	1.41	WBPFN ₄ C ₇ D _F + Short symetrical afterbody δ _e = 0 ^o	4.80 × 10 ⁶	-0.2	-4.08 -2.04 0 2.04 4.07 6.11 8.16 10.20 12.26 6.11	011 013 014 017 021 025	021 021 021 021 021 021 021	.001 .001 0 0 0 0	0005 0001 .0004 .0012 .0023 .0036 .0051	.0026 0 0027 0056 0083 0110 0141 0174 0083	.005 .001 003 008 013 020 029 039
	1.41	WBFNμD _F + Short symetrical afterbody $\delta_e = 0^{O}$	4.80 × 10 ⁶	-4.31 -2.18 04 2.10 3.69 6.36 8.50 10.62 4.24 04		208 110 010 .086 .159 .281 .381 .468 .187 012	022 028 048 071 100	002 021 035 060 080 098 041	.0003 .0002 .0000 .0001 .0000 0001 .0000	0 0 0 .0001 .0001 .0001	.001 .001 0 0 001 002 002

TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

	М	Configuration	R	a, deg	β, deg	$\mathtt{c}_{\mathtt{L}}$	С _Х	C _m	cı	$\mathtt{C_n}$	CY
1.	41	"Equivalent-area" body of revolution	4.80 × 10 ⁶	-4.09 -2.05 -1.04 01 1.00 2.03 4.05 6.09 8.13 10.17 12.21 6.09 01		-0.013 010 009 006 005 002 .001 .005 .011 .018 .026 .005 008	-0.021 020 020 020 020 020 021 023 025 019	1	0 0 0 0 0 0 0 0 0 0	0.0001 .0001 0 0 0 0001 0002 0002 0004 0001	0 0 0 0 0 001 001 001 001





TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

М	Configuration	R	α, deg	β, deg		. C _X	C _m	cı	C _n	CY
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody $\delta_e = \delta_R = 0^0$		-0.03 -4.25 -2.14 2.08 4.18 6.27 8.36 10.46 12.56 6.27		150	032 023 022 029 041 057 078 103	.022 .008 019 033 046 058 070	.0004 .0003 .0001 0	.0001 .0001 .0001 .0001 .0002 .0002	.002 .001 0 0 0 001
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody δ _e = -10 ^o ; δ _R = 0 ^o	3.96 x 10 ⁶	04	0.0	009	020 039 029 024 025 030 041 055 074 098 041	005 .041 .028 .014 001 014 027 040 052 064 027	.0004	.000100010001 0 0.0001 .0001 .0002 .0002	.001 .002 .001 .001 .001 0 0 001

TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

М	Configuration		R	α, deg		$c_{ m L}$	CX	C _m	cı	C _n	CY
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated symetrical afterbody $\delta_e = \delta_R = 0^{\circ}$	3.96	× 10 ⁶	3.9	-4.05 -2.02 0 2.03 4.05 6.08 8.11 10.15 12.19 6.08	.136 .136 .135 .133 .128 .123 .116	029 029 029 029 028 028 028	033 032 032 032 031 030 030 029	0.0013 .0006 0002 0009 0016 0021 0025 0028 0033 0020	.0013 .0021 .0027 .0027 .0026 .0022	0.031 .015 001 017 032 049 067 086 104 049 001
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = 0^{\circ}; \ \delta_R = -15^{\circ}$		× 10 ⁶	3.9	-4.07 -2.04 01 2.01 4.04 6.07 8.11 10.14 12.19 6.07 01	.129 .130 .131 .130 .126 .125 .119 .113 .106	030 030 030 031 031 031 030 030	029 028 028 028 027 027 026 028	.0005 0002 0010 0019 0026 0036 0040 0044 0032 0011	.0034 .0039 .0046 .0047 .0045 .0038 .0032	

COMPREDENESS





TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	α, deg	β, deg	cL	C _X	C _m	cl	C _n	CY
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = -10^\circ$; $\delta_R = 0^\circ$	3.96 × 10 ⁶	-4.23 -2.13 03 2.08 4.18 6.28 8.38 10.48 12.58 6.28 03		-0.172 103 032 .041 .108 .173 .236 .300 .359 .172 033	024 024 030 040 054 073 097 040	.026 .013 001 013 025 037 048 059	.0002 .0001 0 0001 0002 0002	0.0001 0 0 0001 0 .0001	0 0 001 001
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^O$	3. 96 × 10 ⁶	-4.24 -2.14 03 2.08 4.19 6.28 8.38 10.47 12.57 6.28 03		145 077 006 .066 .134 .199 .262 .323 .381 .197 006	024 020 022 029 041 057 077 101 041	.008 005 017 030 042 053	.0003 .0003 .0001 0 0 0 0 0001	0 0 0 0 0 .0001 0 0001	.003 .002 .002 .001 .001 .001 .001

TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-1554 AIRPLANE - Continued

. M	Configuration	R	a, deg	β, deg	c_{L}	c _X	C _m	cı	C _n	$\mathtt{c}_{\mathtt{Y}}$
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{\circ}$	i i	-0.05 -2.21 -4.37 2.13 4.24 6.44 8.59 10.75 12.89 6.43 04		-0.006, 079 147 .066 .114 .203 .266 .328 .387 .202 007	023 032 022 028 042 058 079	.008 .020 017 026 043 054 065	0 0 0001	.0001 .0002 .0002 .0002 .0001 .0001 .0002	.002 .001 .001 .001 0 001 001
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{O}$	7.27 × 10 ⁶	05 -4.48 -2.28 05 2.16 4.36 6.58 8.77 10.96 6.57 05		007 148 080 006 .066 .136 .205 .270 .330 .204 007	020 032 023 020 022 029 042 059 042 020	004 .020 .008 004 017 030 042 054 065 042	.0002 .0002 .0001 .0001	.0001 .0002 .0002 .0002 .0002 .0002	.002 .001 .001 0 0 001 001 002

- ASIMPHOLOGENIANOS





TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	α, deg	β, deg	$c_{ m L}$	c_{X}	C_{m}	Cı	$\mathtt{C_n}$	CY
2.01	WBPFN $_{\rm L}$ C $_{\rm 7}$ VT $_{\rm 60}$ D $_{\rm F}$ + Short symetrical afterbody $\delta_{\rm e}$ = $\delta_{\rm R}$ = 0 $^{\rm O}$	2.55 x 10 ⁶	-4.15 -2.09 02 2.05 4.11 6.17 8.24 10.30 12.36 6.17 02	0	-0.139 075 007 .062 .128 .191 .251 .309 .366 .191 007	023 019 021 028 039 054 073 096 039	.008 004 017 029 040 052 062 072 040	.0002 .0001 .0000 .0000 0001 0003 0001	.0001 .0002 .0001 .0001 .0001	.002 .001 .001 0 0 001
2.01	WBPFN $_{4}$ C $_{7}$ VT $_{60}$ D $_{F}$ + Short symetrical afterbody δ_{e} = δ_{R} = 0 $^{\circ}$	1	-4.08 -2.04 01 2.02 4.05 6.08 8.11 10.14 12.16 6.08 01	0	139 073 007 .059 .125 .187 .249 .309 .362 .187 007	020 022 028 039 054 073 095	.007 004 016 028 040 051 062 072 040	.0003 .0000 .0000 0001 0003 0003 0003	.0003	0 0 0 0



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	α, deg	β, deg	$c_{\mathbf{L}}$	c _X	Cm	cı	Cn	CY
2.01	WBPFN ₄ C ₇ VT $_{60}$ D _F + Elongated upswept afterbody $\delta_{e} = \delta_{R} = 0^{\circ}$	3.96 × 10 ⁶	-4.23 -2.13 03 2.08 4.18 6.28 8.37 10.47 12.56 6.28 03		-0.153 082 010 .061 .130 .195 .259 .323 .380 .195 012	-0.033 024 020 022 028 040 056 076 100 040 020	.013 001 015 028 041 053 066 077 041	.0004 .0003 .0002 .0001 .0001 .0000	.0004 .0004 .0004 .0004 .0004 .0003	.001 0
2.01	WBPFN ₄ C ₇ VT ₆₀ D _F + Elongated upswept afterbody δ _e = δ _R = 0 ⁰	3.96 × 10 ⁶	3. 9	-4.05 -2.02 0 2.03 4.05 6.08 8.11 10.15 12.19 6.08 0	.127 .129 .129 .128 .125 .122 .117 .111 .104 .122	028 028 028 028	028 028 027 027 026 026 025 027	.0008 .0000 0008 0015 0020 0024 0027 0032 0020	.0013 .0021 .0026 .0027 .0026	.014 002 017 033 049 067 085 103 049



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

OF THE MX-155 AIRPLANE - Continued

M	Configuration	R	a, deg	β, deg	${\tt C_L}$	C _X	Cm	Cl	Cn	CY
	WBPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^{\circ}$ $WBPFN_4C_7VT_{60}D_F + Short symetrical afterbody$ $\delta_e = \delta_R = 0^{\circ}$	× 10 ⁶		-4.11 -2.05 4.11 6.16 8.23 10.32 12.40 6.16 .01 -4.05 -2.02 2.03 4.06 8.12 10.16 12.20 6.08 0	.136 .134 .132 .128 .123 .117 .109 .128 .136 .130 .130 .129 .124 .118 .114 .106	029 029 028 028	030 030 039 029 029 029 030 029 029 029 029 029 028 028 028	.0007 0002 0016 0022 0026 0030 0034 0022 0001	.0010 .0013 .0015 .0012 .0005 0005 .0014 .0003 0002 .0002 .0009 .0013 .0015 .0016 0003	.013 002 017 032 048 064 082 101 047 002 .027 .012 017 033 048 064 082



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R		α, deg	β, deg	$c_{ m L}$	c_{X}	C _m	; c _l	$\mathtt{c}_{\mathtt{n}}$	c _Y
2.01	WBPFN $_{4}$ C $_{7}$ VT $_{60}$ D $_{F}$ + Short symetrical afterbody $\delta_{e} = \delta_{R} = 0^{0}$	1.13 ×	106		-4.01 -2.01 0 2.01 4.01 6.02 8.04 10.05 12.06 6.02 0	.121 .125 .129 .125 .121 .121 .118	028 028 028 028 028 028 028	028 029 028 028 028 028 028		.0005 .0008 .0010 .0011 .0008	.014 0 014 028 047 063 081 099 047
2.01	WEPFN ₄ C ₇ VT ₆₀ D _F + Short symetrical afterbody $\delta_e = \delta_R = 0^0$	3.96 x	106	-•2	-2.03 0 2.02 4.05 6.07 8.11 10.15 12.19 6.07	013 012 013 014 016 020 023 027 017	1	004 003 003 003 003 004 003	.0008	0008 .0001 .0011 .0020 .0025 .0026 .0025	.017 .001 015 032 048 066 084 103



TABLE IV.- TABULATED COEFFICIENTS FROM TESTS OF A 1/20-SCALE MODEL

М	Configuration	R	de,		C _L	c _X	- C _m	Cl	c_n	CY
2.01	WBPFN ₄ C ₇ D _F + Short symetrical afterbody $\delta_e = 0^{\circ}$	3.96 x 1	06	2 -4.07 -2.04 0 2.03 4.07 6.10 8.14 10.19 12.24 6.10	009 009 010 012 014	020 020 019 020 021 022 023 021	005 005 005 005	0008 .0000 .0008 .0017 .0028 .0038 .0050	.0029 .0002 0026 0053 0081 0109 0138 0167 0081	.006 .001 004 017 026 037 050





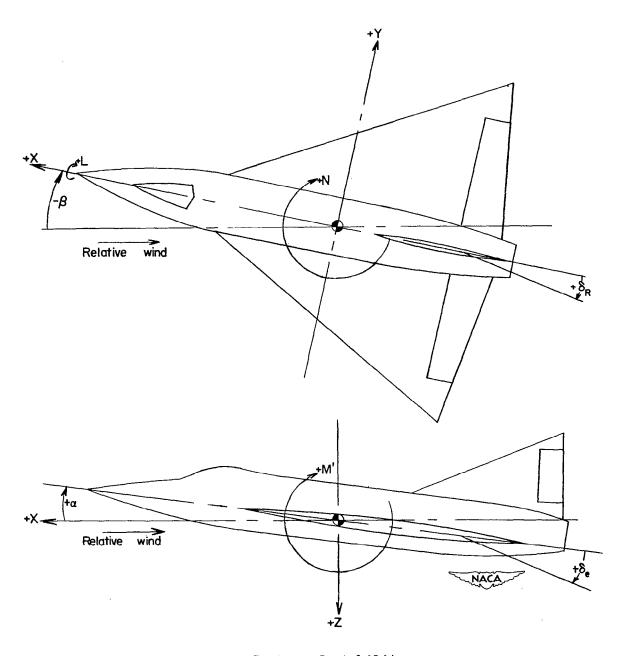


Figure 1.- System of stability axes.

Secondaria di T





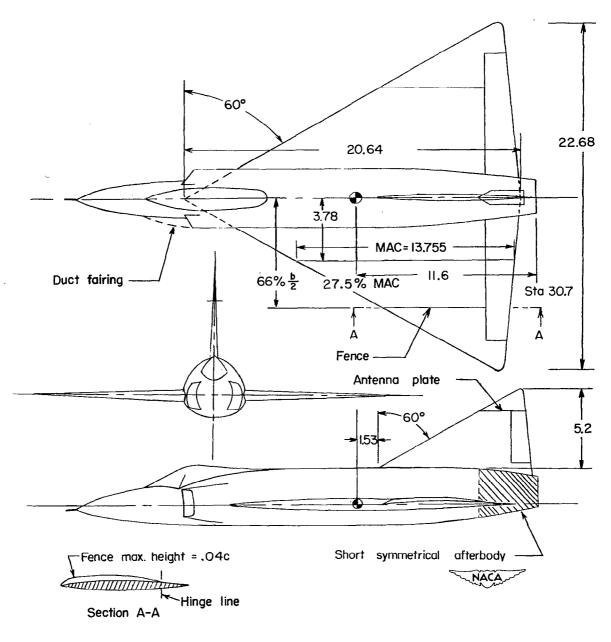


Figure 2.- Three-view sketch of 1/20-scale MX-1554 model. (Dimensions in inches unless noted.)

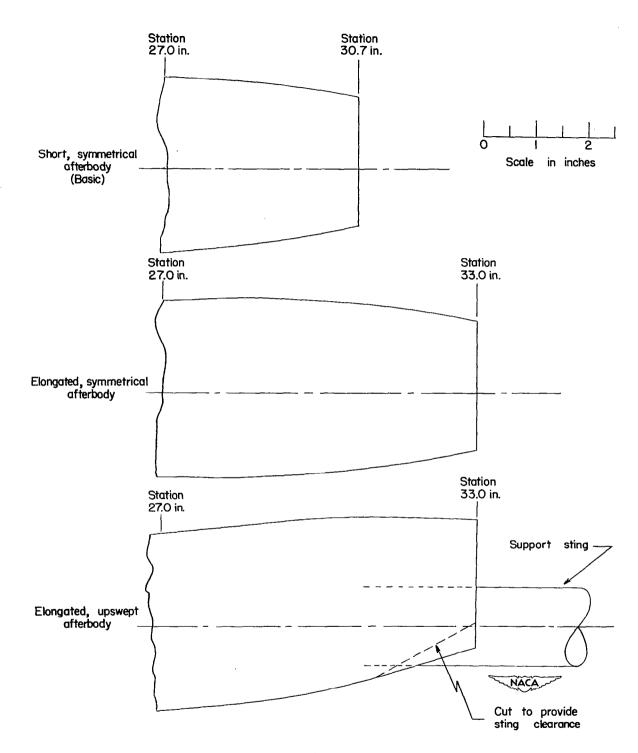
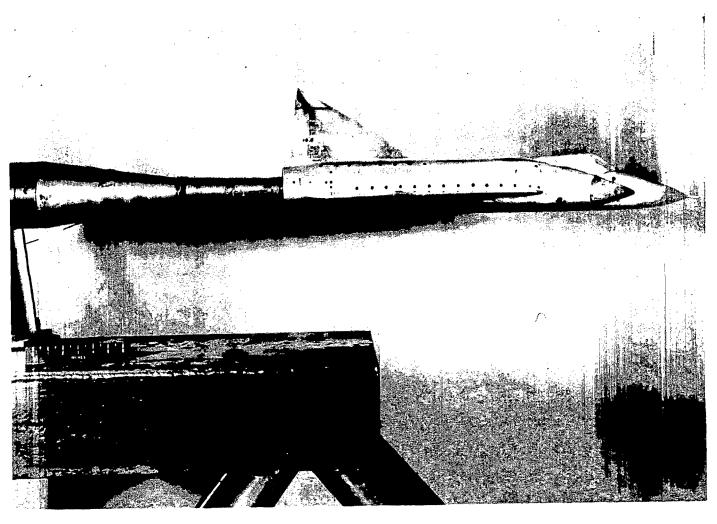


Figure 3.- Side-view sketch of 1/20-scale MX-1554 model afterbodies.



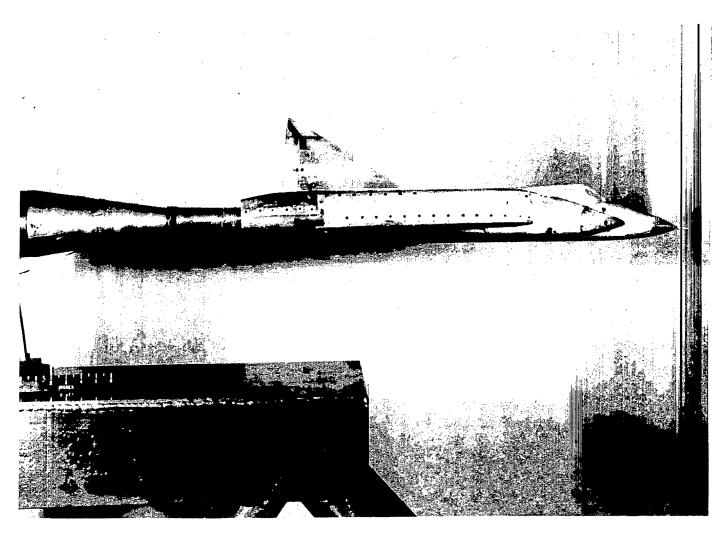


L-78008

(a) Short symmetrical afterbody.

Figure 4.- Photographs of complete MX-1554 model with different afterbodies.



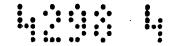


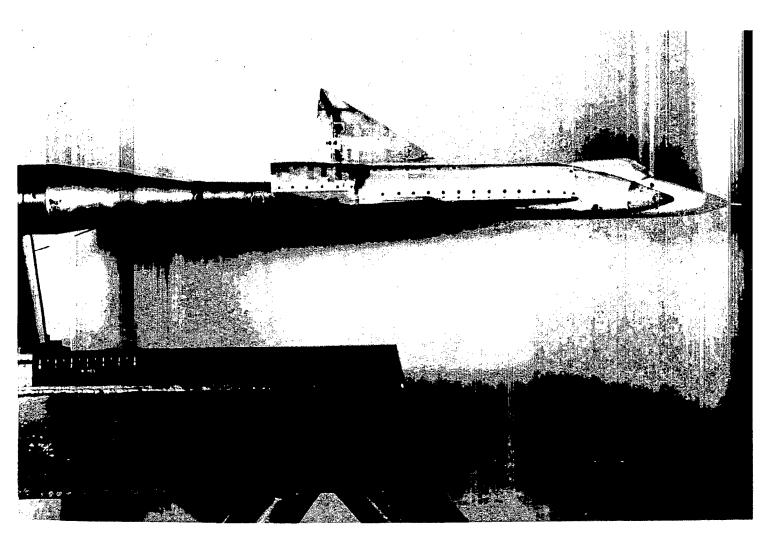
COMPLEMENTANCE

L-78007

(b) Elongated symmetrical afterbody.

Figure 4.- Continued.



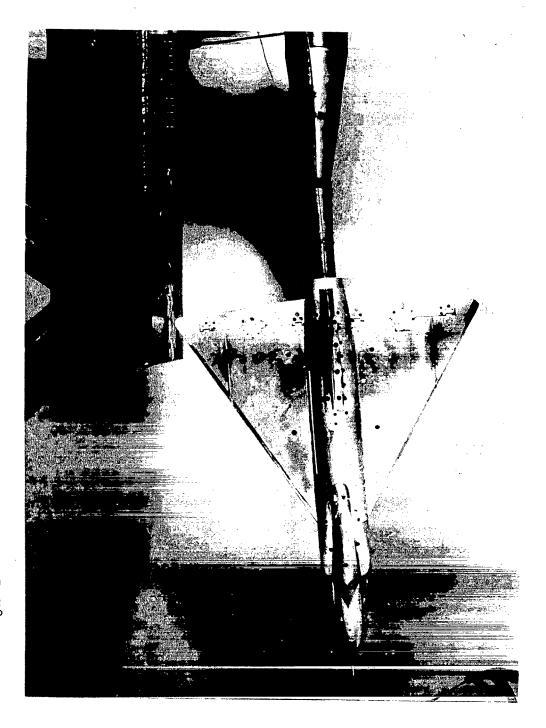


L-78009

(c) Elongated upswept afterbody.

Figure 4.- Continued.

THE TANKET ANDO



(d) Plan view of short symmetrical afterbody.

Figure 4.- Concluded.

L-78011

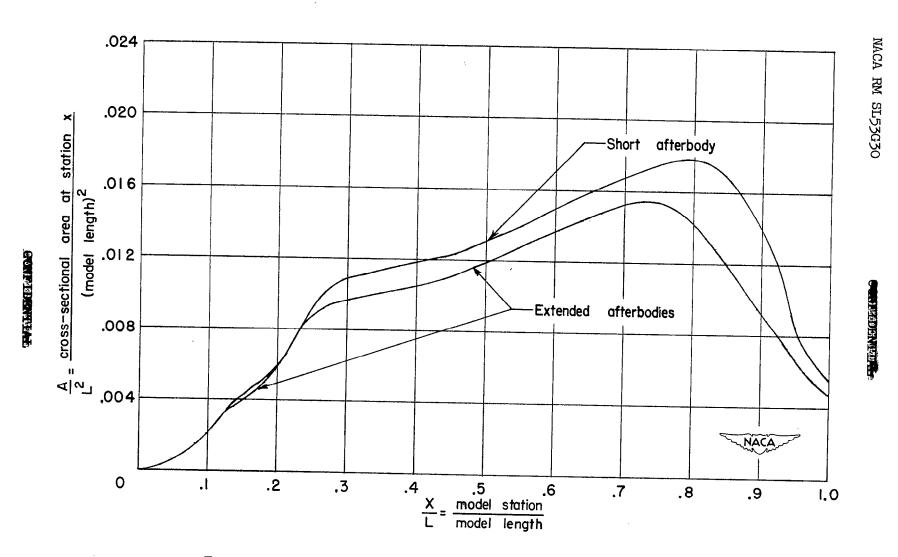


Figure 5.- Area distribution for complete configuration with different afterbodies.



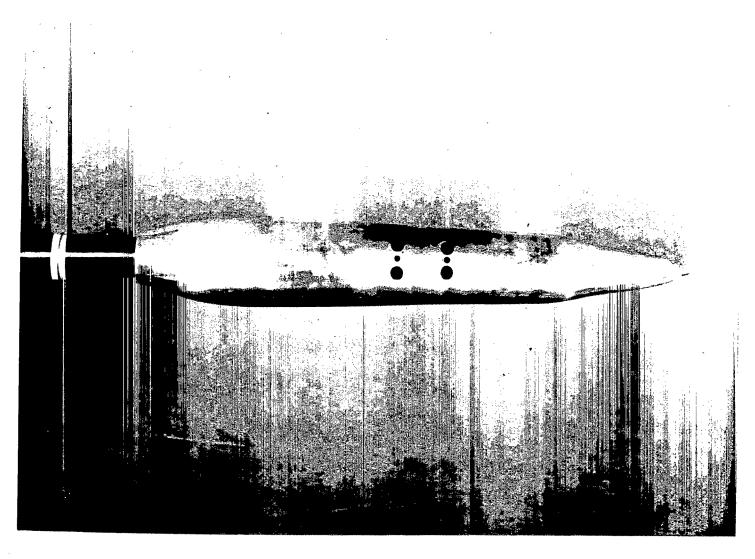
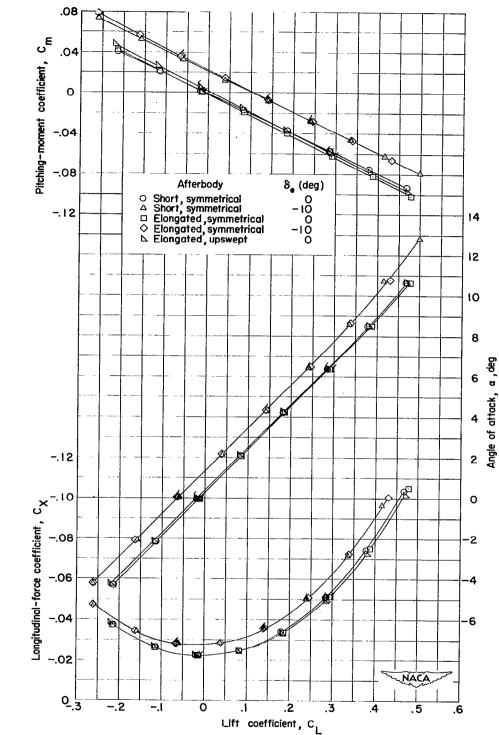


Figure 6.- Photograph of the Convair MX-1554 "equivalent-area" body of revolution.

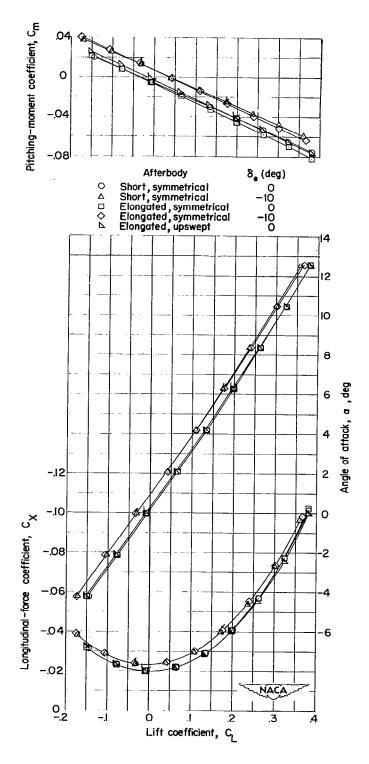
L**-**78239



(a) M = 1.41; $R = 4.8 \times 10^6$.

Figure 7.- Aerodynamic characteristics in pitch of the Convair MX-1554 model with different afterbodies.

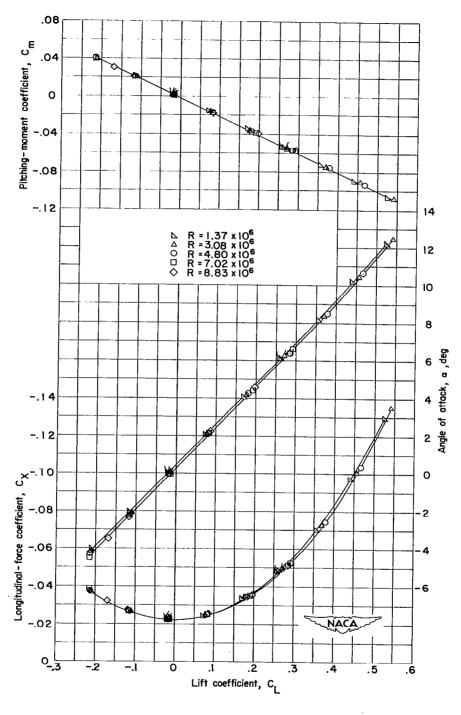




(b) M = 2.01; $R = 3.96 \times 10^6$. Figure 7.- Concluded.





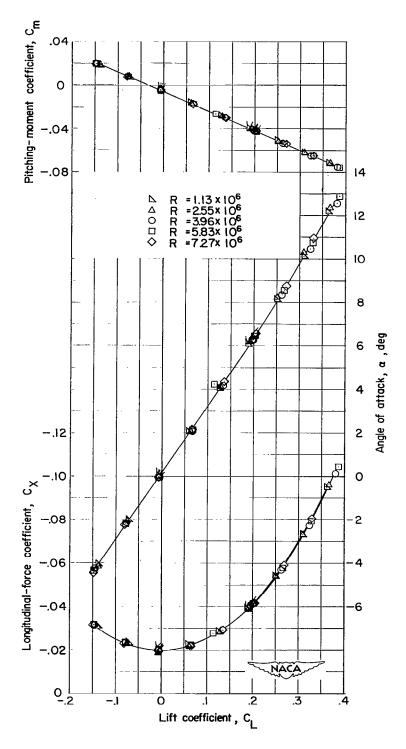


(a) M = 1.41.

Figure 8.- Effect of Reynolds number on the aerodynamic characteristics of the basic configuration (short symmetrical afterbody) of the Convair MX-1554 model in pitch.





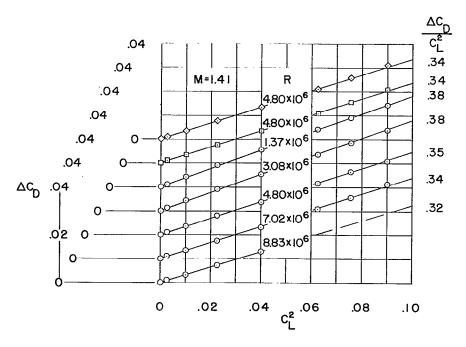


(b) M = 2.01.

Figure 8.- Concluded.







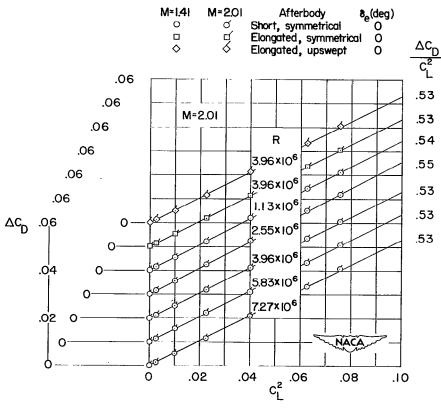


Figure 9.- Drag due to lift of the various test configurations at M = 1.41 and 2.01. R = variable.

CONTRACTOR

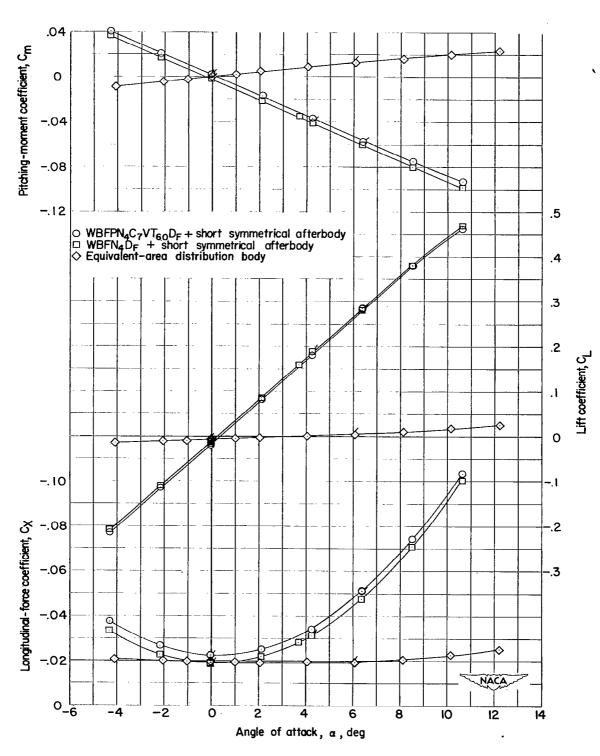


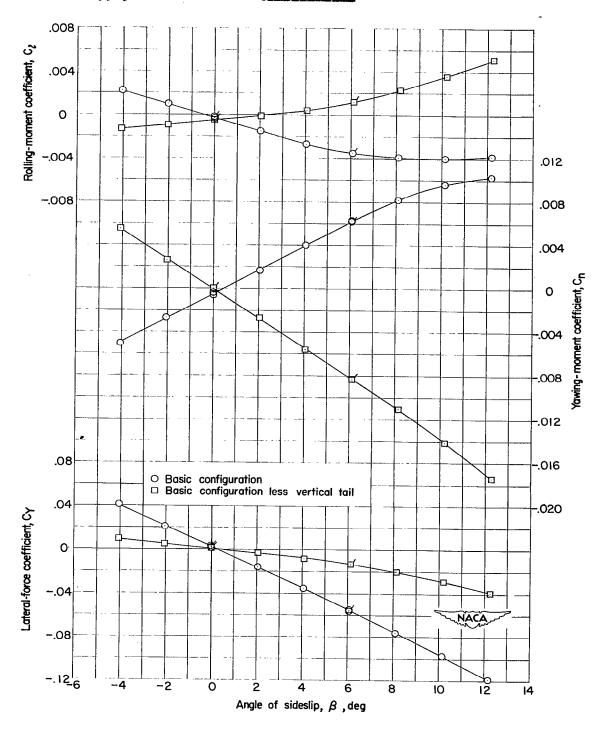
Figure 10.- Aerodynamic characteristics in pitch for the MX-1554 and the equivalent-area distribution body of the Convair MX-1554. M=1.41; $R=4.8\times10^6$.

- The State of the Land of the

in.



| .

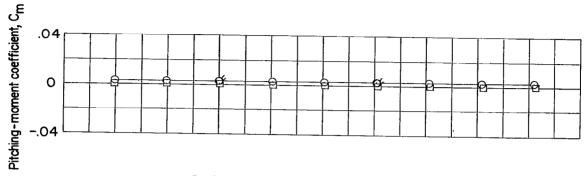


(a) M = 1.41; $R = 4.8 \times 10^6$.

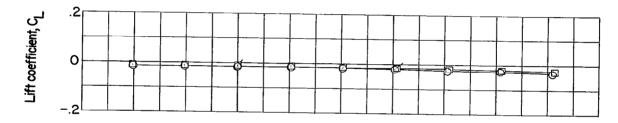
Figure 11.- Aerodynamic characteristics of the basic configuration (short symmetrical afterbody) of the Convair MX-1554 model in sideslip, with and without vertical tail. $\alpha=0^{\circ}$.

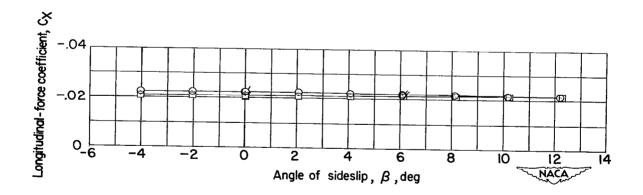
Commence of the same





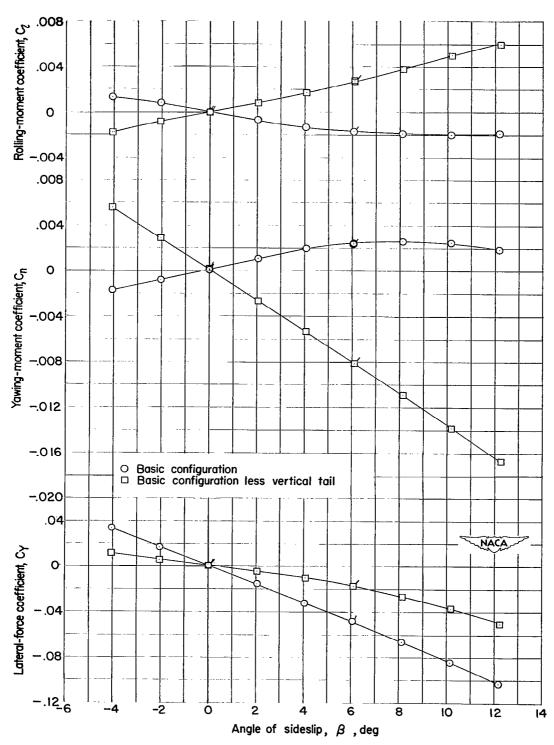
- O Basic configuration
- ☐ Basic configuration less vertical tail





(a) Concluded. M = 1.41; $R = 4.8 \times 10^6$. Figure 11.- Continued.

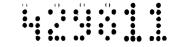


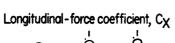


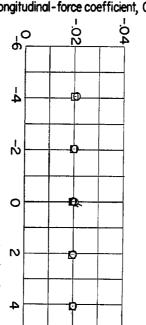
(b) M = 2.01; $R = 3.96 \times 10^6$.

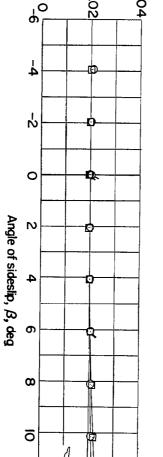
Figure 11.- Continued.

de dede coleme



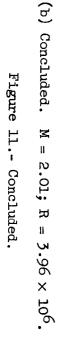


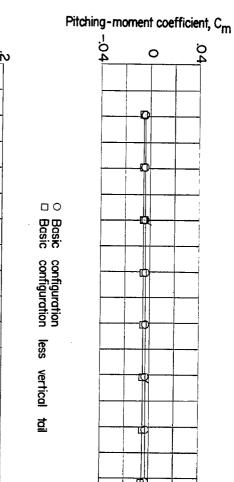


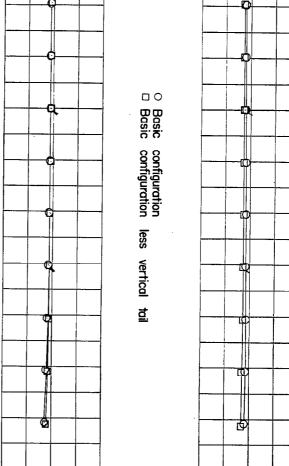


 \overline{c}

4

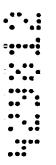


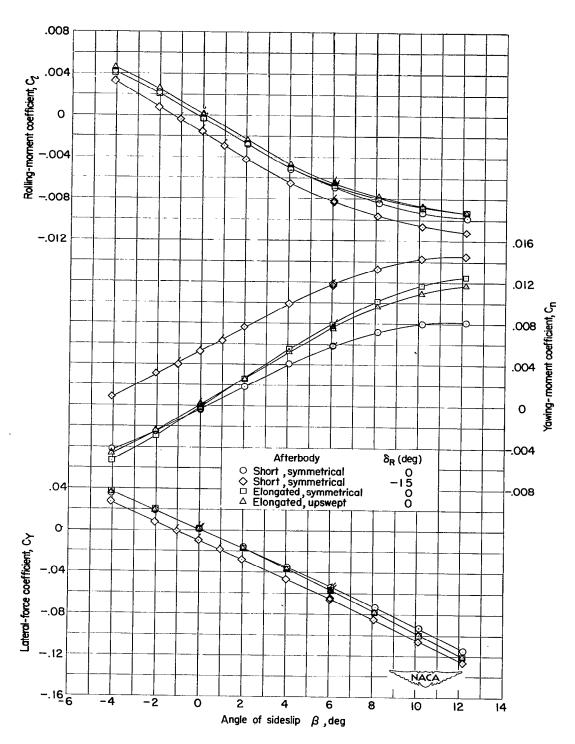




Lift coefficient, CL

7



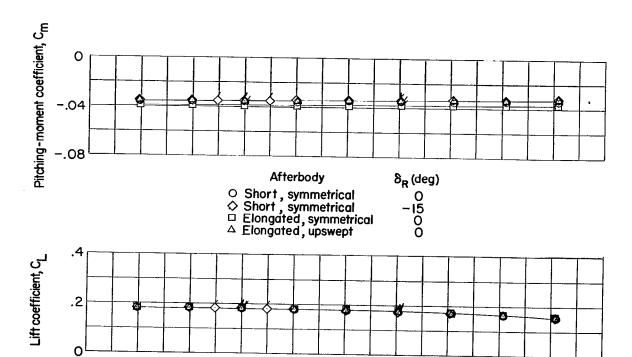


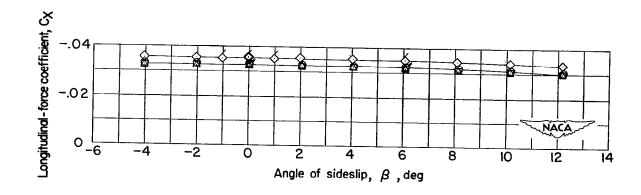
(a) M = 1.41; $R = 4.8 \times 10^6$.

Figure 12.- Aerodynamic characteristics of the Convair MX-1554 model in sideslip with different afterbodies. $\alpha = 4^{\circ}$.

- - - Blingpb . ve





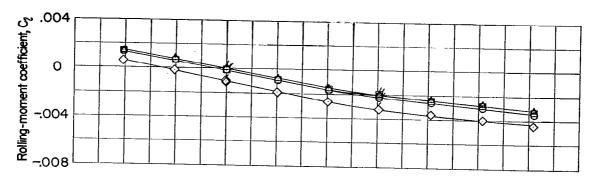


(a) Concluded. M = 1.41; $R = 4.8 \times 10^6$. Figure 12.- Continued.

the state of the state of







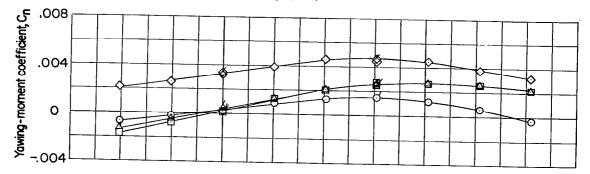
Afterbody 8_R(deg)

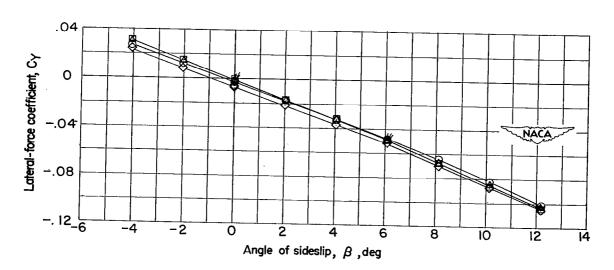
○ Short, symmetrical 0

○ Short, symmetrical -15

□ Elongated, symmetrical 0

Elongated, upswept 0



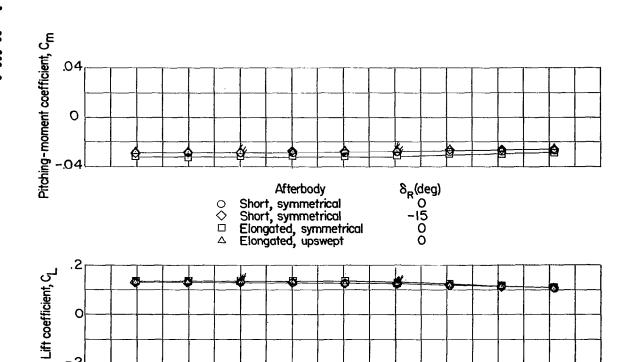


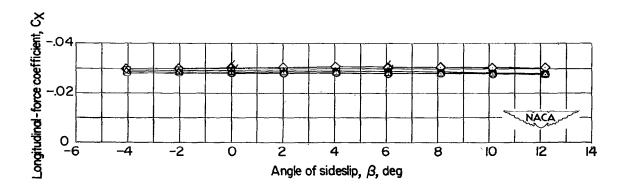
(b)
$$M = 2.01$$
; $R = 3.96 \times 10^6$.

Figure 12.- Continued.





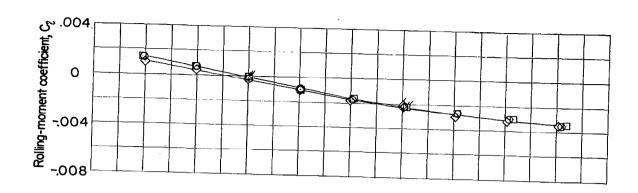




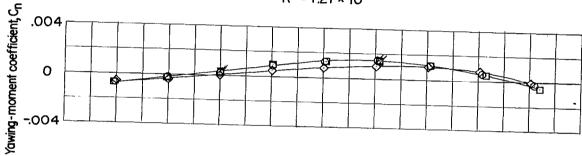
(b) Concluded. M = 2.01; $R = 3.96 \times 10^6$.

Figure 12.- Concluded.





○ R = 1.13 x 10⁶
 ○ R = 3.96 x 10⁶
 □ R = 7.27 x 10⁶



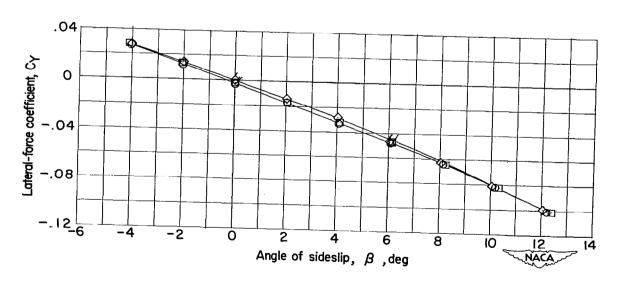
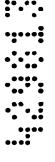
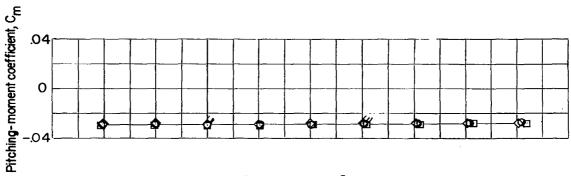


Figure 13.- Effect of Reynolds number on the aerodynamic characteristics of the basic configuration (short symmetrical afterbody) of the Convair MX-1554 model in sideslip. $\alpha = 4^{\circ}$; M = 2.01.

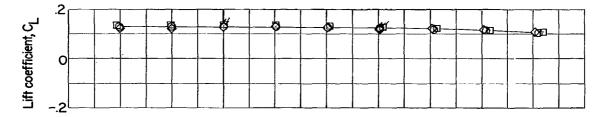
· "我看到一个声概是"**







○ R = 1.13 x 10⁶
 ○ R = 3.96 x 10⁶
 □ R = 7.27 x 10⁶



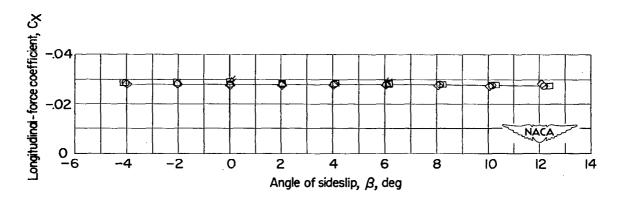
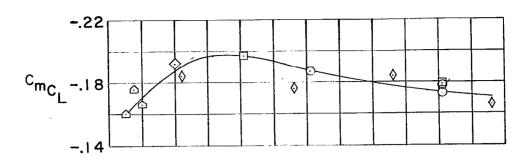
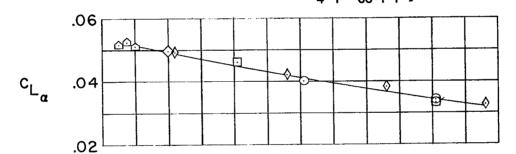


Figure 13.- Concluded.





- ♦ Co-op WBPN₄ C₁VT₆₀₋₁D_F Reference 2
- Unpublished △ 8'HST WBFPN3CIVT60DF
- \Diamond NOL 40x40 cm WBPN₄C₁VT₆₀₋₁D₀ Reference 3 \Diamond NOL 40x40 cm WBPN₄C₁VT₆₀₋₁D_F



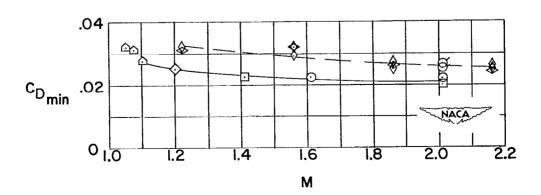
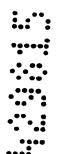
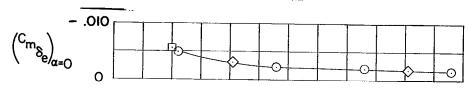
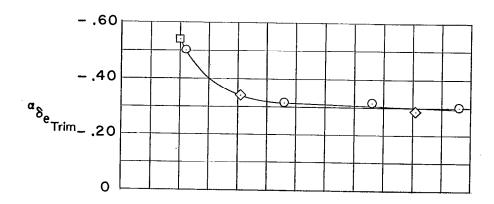


Figure 14.- Longitudinal parameters of the Convair MX-1554 through the supersonic Mach number range. β = $0^{\circ}\,.$



NACA RM SL53G30





- ♦ 4'SPT WBFPN₄C₇VT₆₀D_F
- ☐ Co-op WBPN₄C_IVT_{60-I}D_F Reference 2
- O NOL 40 x 40 cm WBPN₄C₁VT_{60-I}D₀ Reference 3

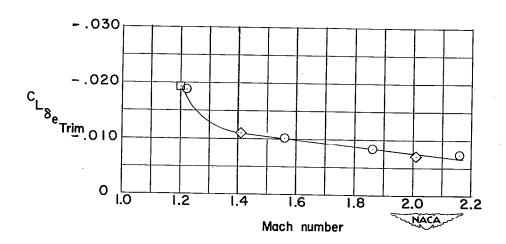
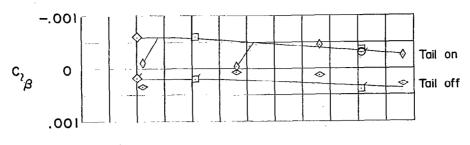
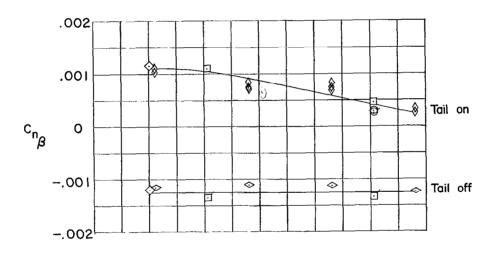


Figure 15.- Longitudinal control parameters of the Convair MX-1554 model through the supersonic Mach number range.



- Reference I
- □ 4'SPT WBFPN4C7VT60DF
- ☐ 4'SPT WBFPN4C7DF Tail off
- Reference 2
- $\begin{array}{cccc} \Diamond & \text{NOL } 40 \times 40 \text{ cm} & \text{WBPN}_4\text{C}_1\text{VT}_{60-1}\text{D}_0 \\ \Diamond & \text{NOL } 40 \times 40 \text{ cm} & \text{WBPN}_4\text{C}_1\text{D}_0 \text{ Tail off} \end{array} \right\} \text{ Reference } 3$



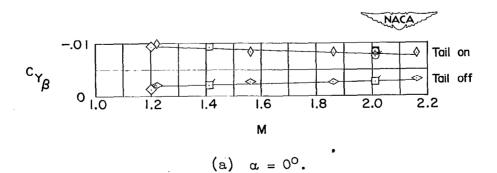
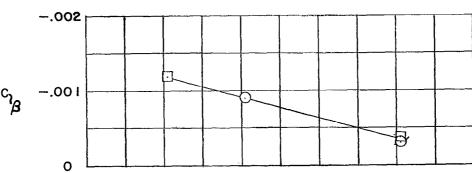
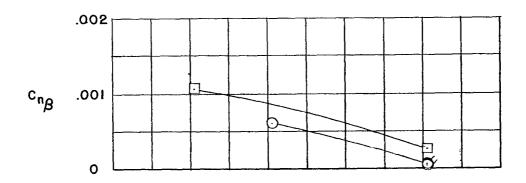
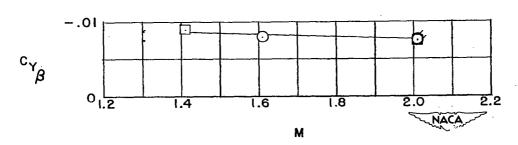


Figure 16.- Lateral parameters of the Convair MX-1554 model through the supersonic Mach number range.

NACA RM SL53G30







(b) $\alpha = 4^{\circ}$.

Figure 16.- Concluded.

SECURITY INFORMATION

NASA Technical Library